15 March 2017 Set-A **SUMMATIVE ASSESSMENT - II, 2016-17 MATHEMATICS** Class - IX Time Allowed: 3 hours Maximum Marks: 90 **General Instructions:** All questions are **compulsory**. The question paper consists of 31 questions divided into four sections A, B, C and D. 2. Section-A comprises of 4 questions of 1 mark each; Section-B comprises of 6 questions of 2 marks each; Section-C comprises of 10 questions of 3 marks each and Section-D comprises of 11 questions of 4 marks each. There is no overall choice in this question paper. 3. Use of calculator is not permitted. 4. **SECTION-A** Question numbers 1 to 4 carry one mark each. x = 0 is the equation of which axis? 1 1 2 Express y + 3 = 0, in the form of ax + by + c = 0. 1 Construct an obtuse angle and draw its bisector. 3 1 Find the number of small cubes with edge 20 cm that can be accommodated in a cubical box of 1 4 2 meter edge. **SECTION-B** Question numbers 5 to 10 carry two marks each. 5 In the given figure, O is the centre of the circle. If BD = DC and $\angle DBC = 30^{\circ}$, find the measures 2 of $\angle BAC$ and $\angle BOC$. O 6 PQRS is a parallelogram with diagonals PR and QS intersecting at a point E. If ar $(\Delta SEP) + ar$ 2 $(\Delta QER) = 12 \text{ cm}^2$, find area of parallelogram PQRS.

7	In the given figure, ABC is a triangle in which $\angle BAC = 30^\circ$. Show that BC is equal to the radius of the circumcircle of $\triangle ABC$ whose centre is O.	2					
8	The curved surface area of a cone is 12320 sq cm. If the radius of its base is 56 cm, find its height.	2					
9	A die is thrown 50 times and it showed the number 1, 23 times. Find the probability of getting a number other than 1 in the next throw of the die.	2					
10	Eleven bags of wheat flour contain the following weights of flour (in kg): 4.97, 5.05, 5.08, 5.03, 5.00, 5.06, 5.08, 5.07, 5.04, 5.00, 4.98. Find the probability that any one of these bags chosen at random contains more than 5 kg of flour.	2					
	SECTION-C						
	Question numbers 11 to 20 carry three marks each.						
11	In $2x + y = 13$, express y in terms of x . Also find three solutions of the above equation and draw its graph.	3					
12	If $x = -1$, $y = 3$ is a solution of the linear equation $3ax + 4ay = 9$ then find value of a For this value of a, determine value of b from the equation $(2b+1)-3(a+2)+4=0$.	3					
13	Draw a line segment PQ of length 8 cm. Draw $\frac{1}{4}$ PQ, using compass and ruler.	3					
14	Prove that the diameter of a circle that bisects a chord also bisects the angle subtended by the chord at the centre of the circle.	3					
15	PQRTS is a pentagon. A line through T meets QR produced in U such that SR \parallel UT. Show that ar (PSUQ) = ar (PQRTS). Q P \times T	3					
16	If the total surface area of solid sphere is 98.56 cm ² , then find the radius of the sphere.	3					

17	Convert the follow	ving frequency distribution into a continuous grouped frequency table:	3					
	Class - Interval	Frequency						
	150 - 153	7						
	154 - 157	7						
	158 - 161	15						
	162 - 165	10						
	166 - 169	5						
	170 - 173	6						
	In which intervals would 153.5 and 166.5 be included?							
18	The median of the	following observations arranged in ascending order is 24. Find x .	3					
	14, 18 x + 2, x + 4, 3	50, 34						
	Using the value of	x, find the mean of the above data.						
		SECTION-D						
	Question number	s 21 to 31 carry four marks each.						
19	Draw the graphs of the following equations on the same graph sheet:							
	x=4, $x=2$, $y=1$, $y-3=0$. Also, find the area enclosed between these lines.							
20	A pair of opposite angles of a parallelogram are $40x$ and $50y$. Write a linear equation which satisfies this data. Also draw the graph for the same.							
21	Prove that the angle subtended by an arc of a circle at the centre is double the angle subtended by it at any point on the remaining part of the circle.							
22	In the given figure, O is any point in the interior of parallelogram PQRS. Prove that ar $(\Delta POQ) + ar(\Delta SOR) = ar(\Delta POS) + ar(\Delta QOR) = \frac{1}{2} [ar(gm PQRS)].$							
	S O	$R = \frac{1}{2} [ar (grif TQRS)].$						
23	Construct a Δ ABC	C in which BC = 7 cm, \angle B = 60° and AC – AB = 2.4 cm.	4					
24	Two types of water tankers are available in shop. One is m cubical form of 2 m \times 2 m \times 2 m and the other is in cylindrical form of radius 2 m and height 1 m.							
	The shopkeeper advised to take cylindrical tank for donation.							
	(a) Calculate the volumes of both containers.							

25	A hollow cylindrical iron pipe is 21 m long. Its outer and inner diameters are 10 cm and 6 cm respectively. Find the volume of the iron used in making the pipe. Also find the outer surface area of pipe.											
26	Water is supplied to a city population from a river through a cylindrical pipe. The diameter of the cross section of pipe is 20 cm, the speed of water through the pipe is 18 km per hour. Find the quantity of water in litres which is supplied to the city in 4 hours.											
27	A recent survey found that the ages of workers in a factory is distributed as follows:								4			
	Age (in years)	4 - 23 24	- 33	34 - 43	44 - 53	54 and	more					
	No. of Workers 3	8 27	7	86	46	3						
	If a worker is selected at random, find the probability that the age of the worker is:											
	(i) 44 years or more.											
	(ii) upto 43 years.											
	(iii) in age group of 34-53 years.											
	(iv) under 54 but more than or equal to 34 years											
28	The marks out of 100 of 80 students of a class are given below. Construct a histogram to 4 represent the data.								4			
	Marks	10-20	20-3	30-	50 5	0-70	70-100					
	No of studen	ts 7	15	18	2	0	10					
	SECTION-E (Open Text) (* Please ensure that open text of the given theme is supplied with this question paper.)											
	(* Ple			text of the Quadrilate								
29		۸		_					3			
	In \triangle ABC (see figure), mid-point of side AC is E. If \angle EBC: \angle BCE: \angle CEB=2:3:5, then find all the angles of \triangle BCE.											

